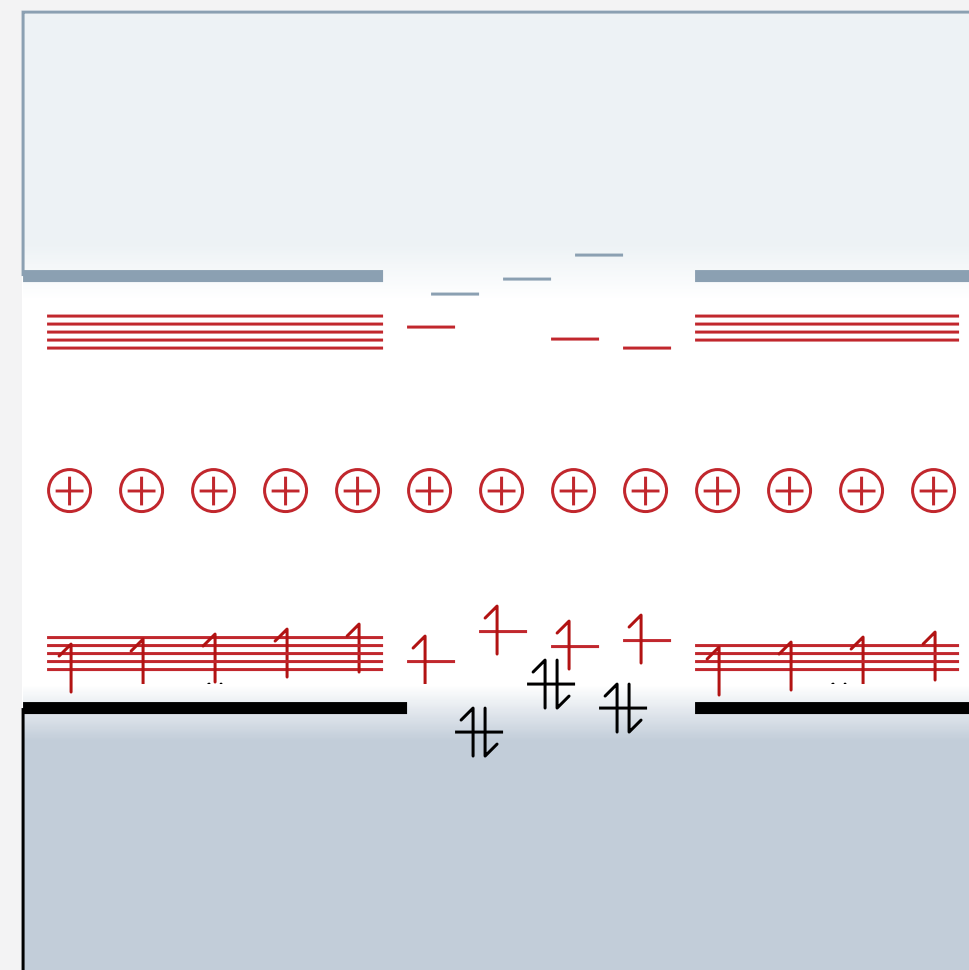


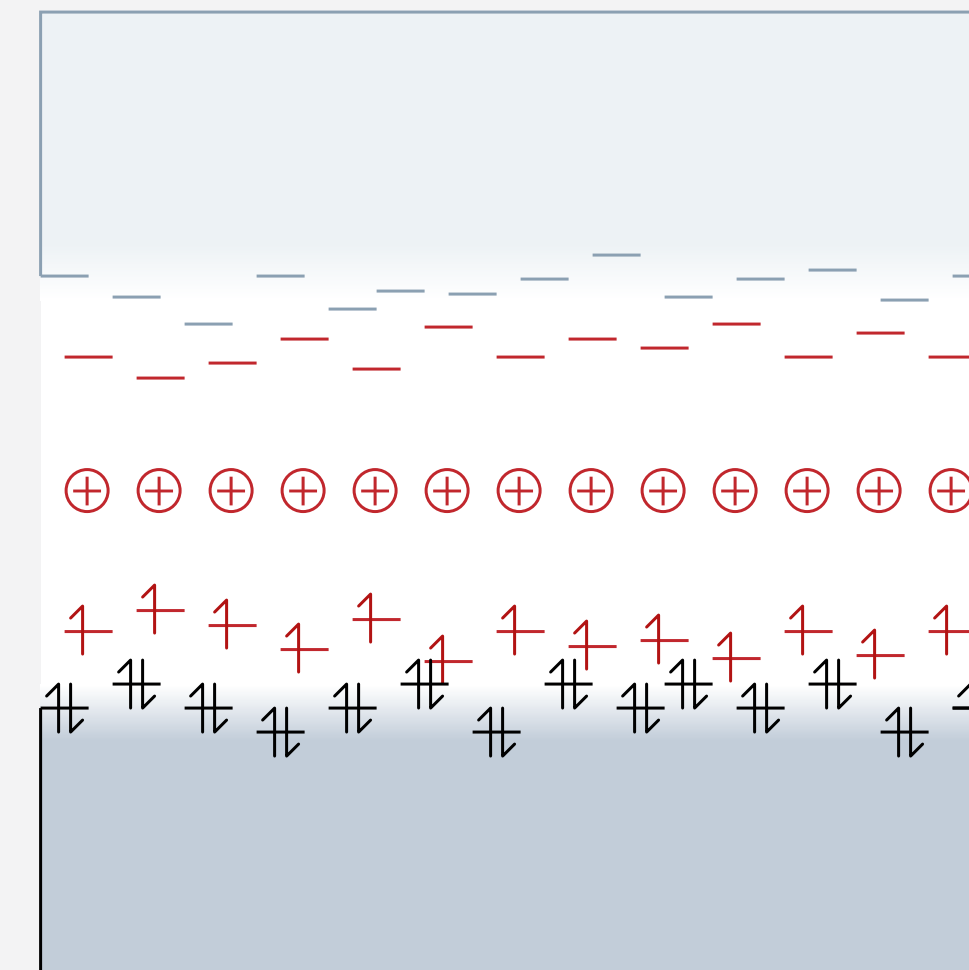
6.3 Polaronic Transport

Incoherent Transport in Disordered Organic Solids

- static disorder slow on the time scale of charge transport, results in energetic heterogeneity
- dynamic disorder causes fluctuations of coupling constant J on the order of J itself



— polycrystalline solid —



— amorphous solid —

- premises for band transport usually not fulfilled in partially ordered organic solids
- even in crystalline solids, molecular motions destroy translational symmetry

Criteria for Polaronic Transport and Disorder-Controlled Transport

- incoherent transport prevails if any energy present due to **dynamic disorder** and/or **static disorder** is larger than the interaction energy between neighboring sites

$$H_1 \ll H_2, H_3, H_4, H_5$$

- charge carriers become localized at individual sites and proceed by a sequence of non-coherent transfer events
- **polaronic transport if dynamic disorder dominates in an otherwise highly ordered crystal**

$$H_1 \ll H_2, H_3, \quad H_4 = H_5 = 0$$

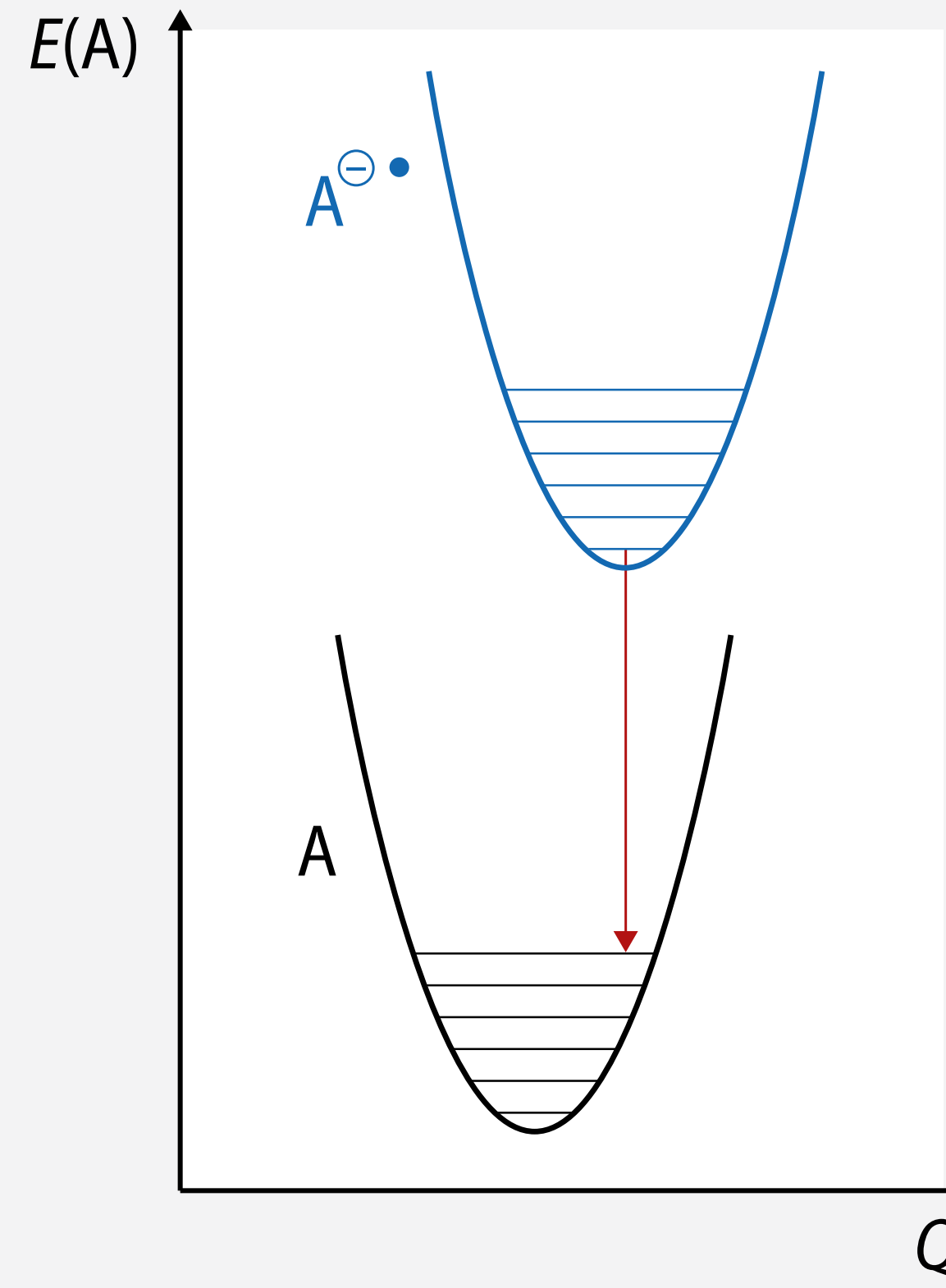
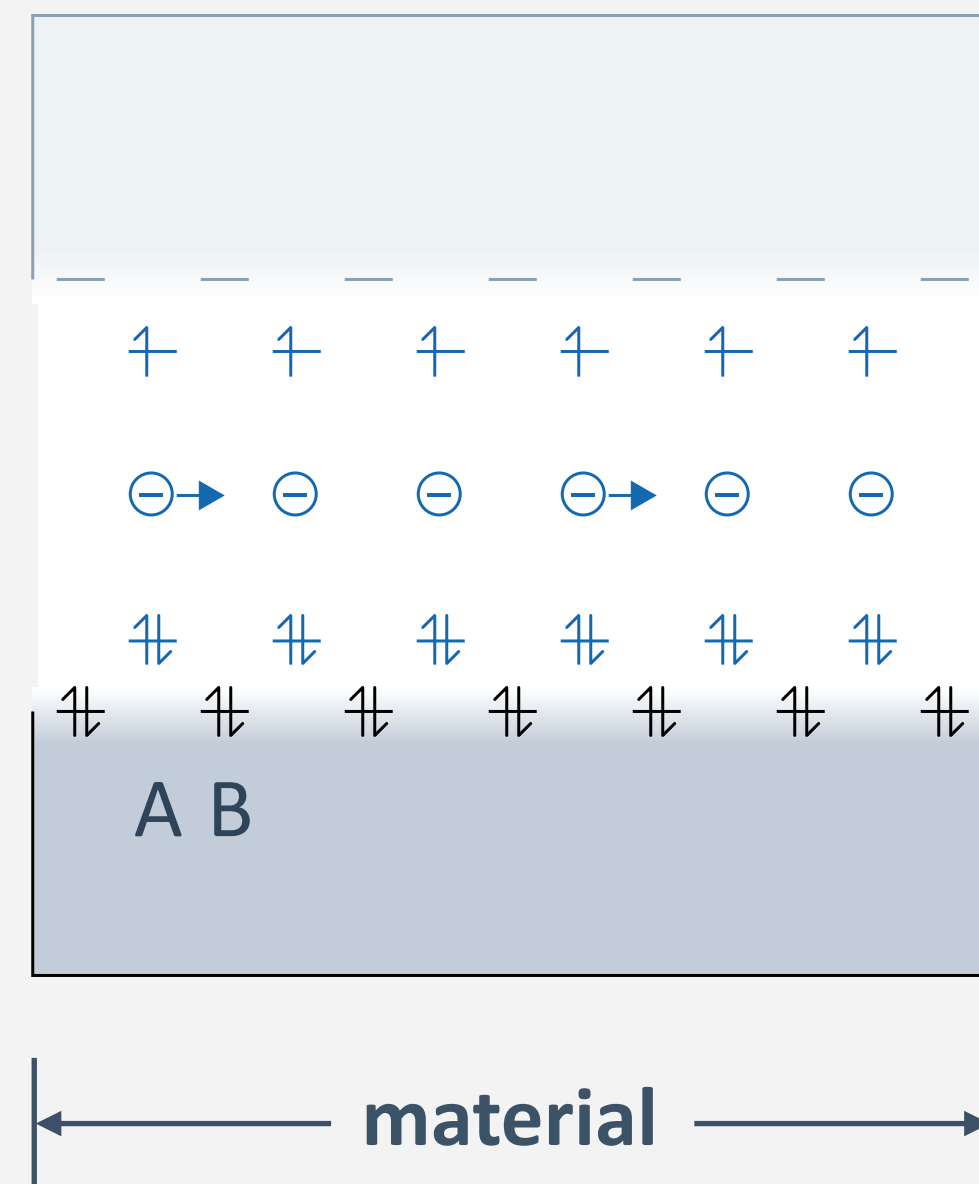
- polarons are charged molecules with a changed geometry & lattice distortion
- “self-localization” due to intramolecular / intermolecular geometric changes
- transport takes place via thermal activated inter-site hopping
- **disorder-controlled if static disorder dominates in non-crystalline systems**

$$H_1 \ll H_4, H_5, \quad H_2 = H_3 = 0$$

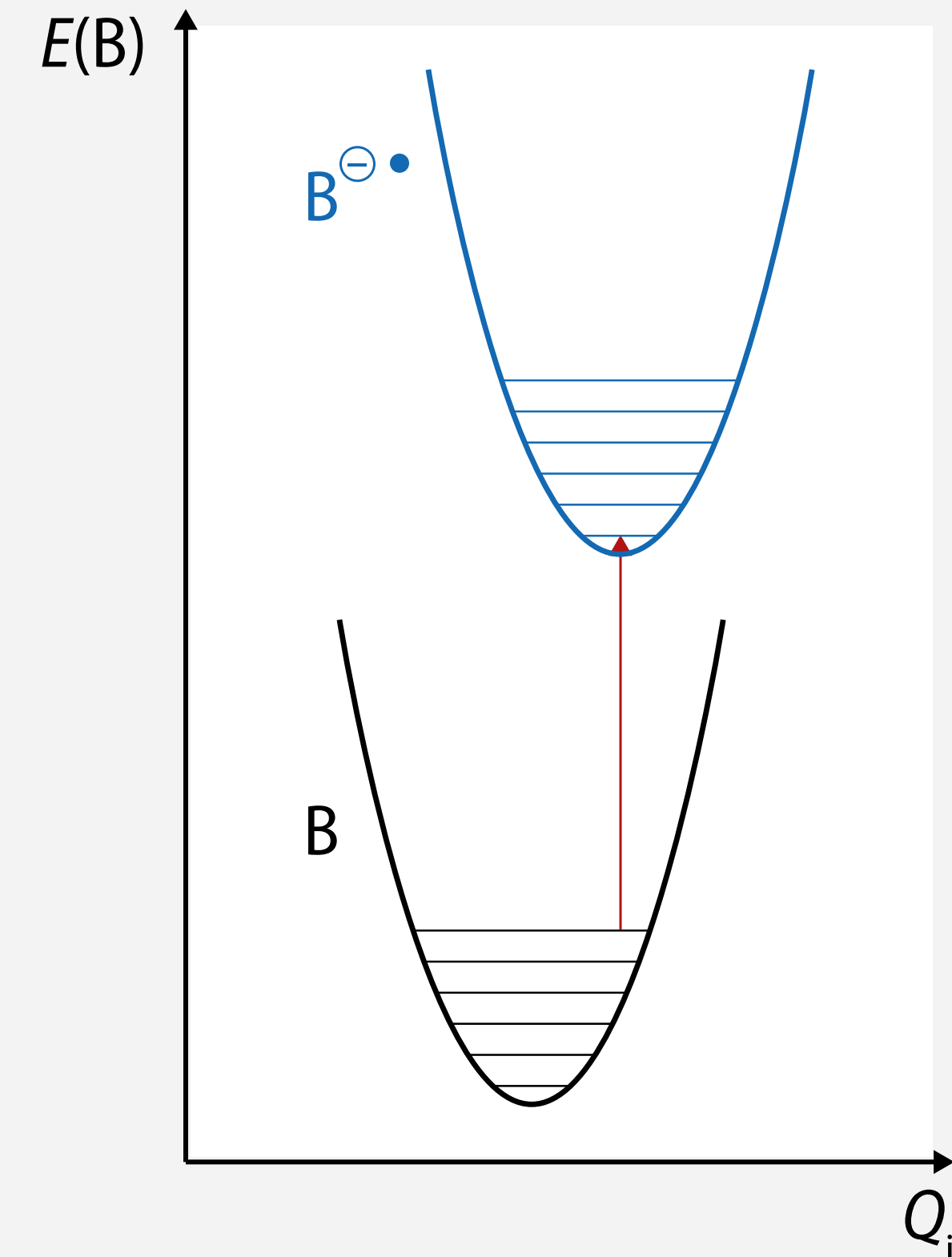
- **transport is random walk by “hopping” between neighboring sites with different energies**

Charge Transfer from One Molecule to a Neighbor

- all site energies are (in first approximation) equal, but fluctuation of transfer integral
- charge carriers localized due to intramolecular and intermolecular vibrations



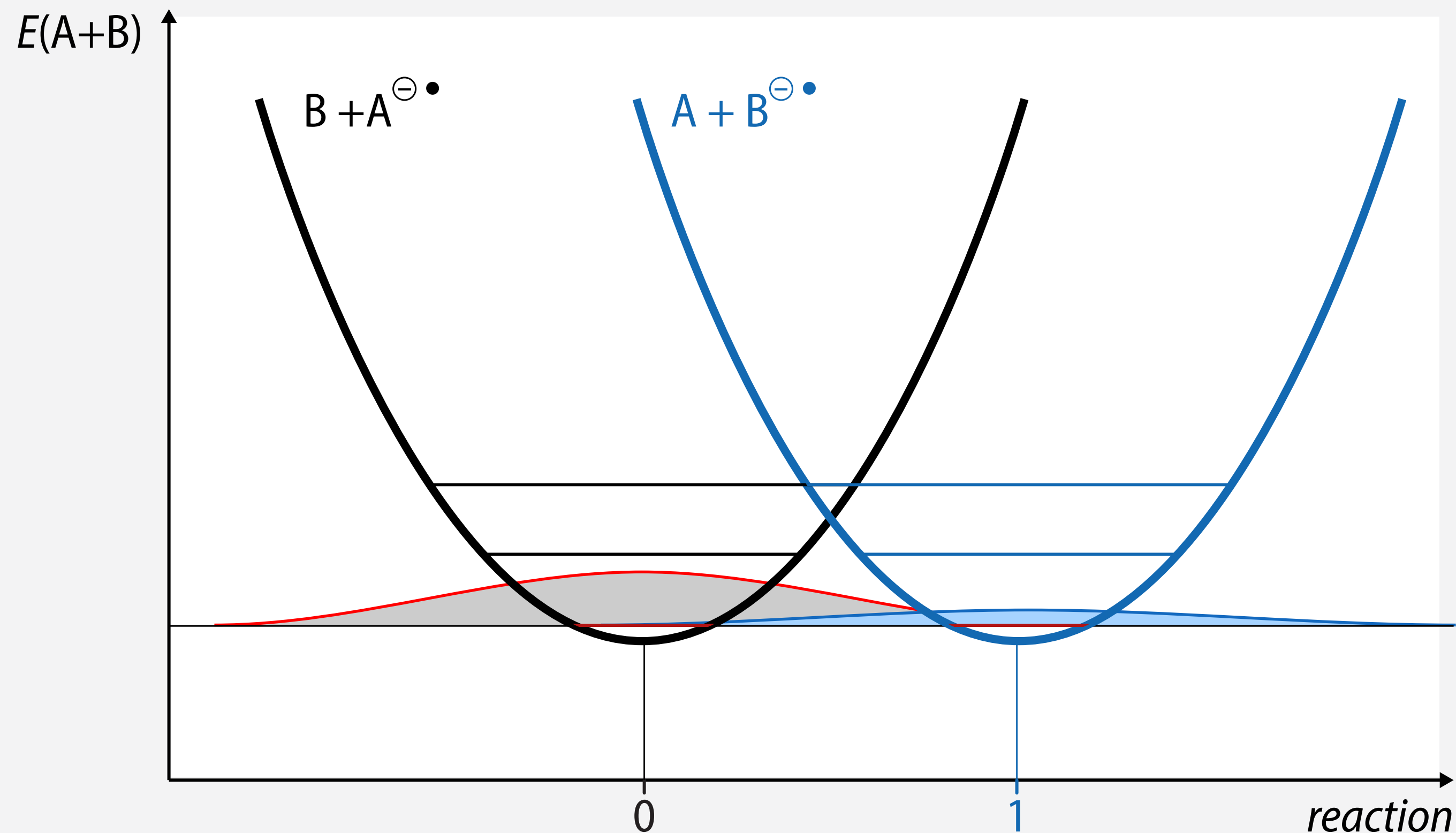
and



- charge transport takes place by an incoherent sequence of charge transfer events
- transfer step involves **simultaneous excitation** of a molecule and **relaxation** of a neighbor

Charge Transport by Quantum-Mechanical Tunneling

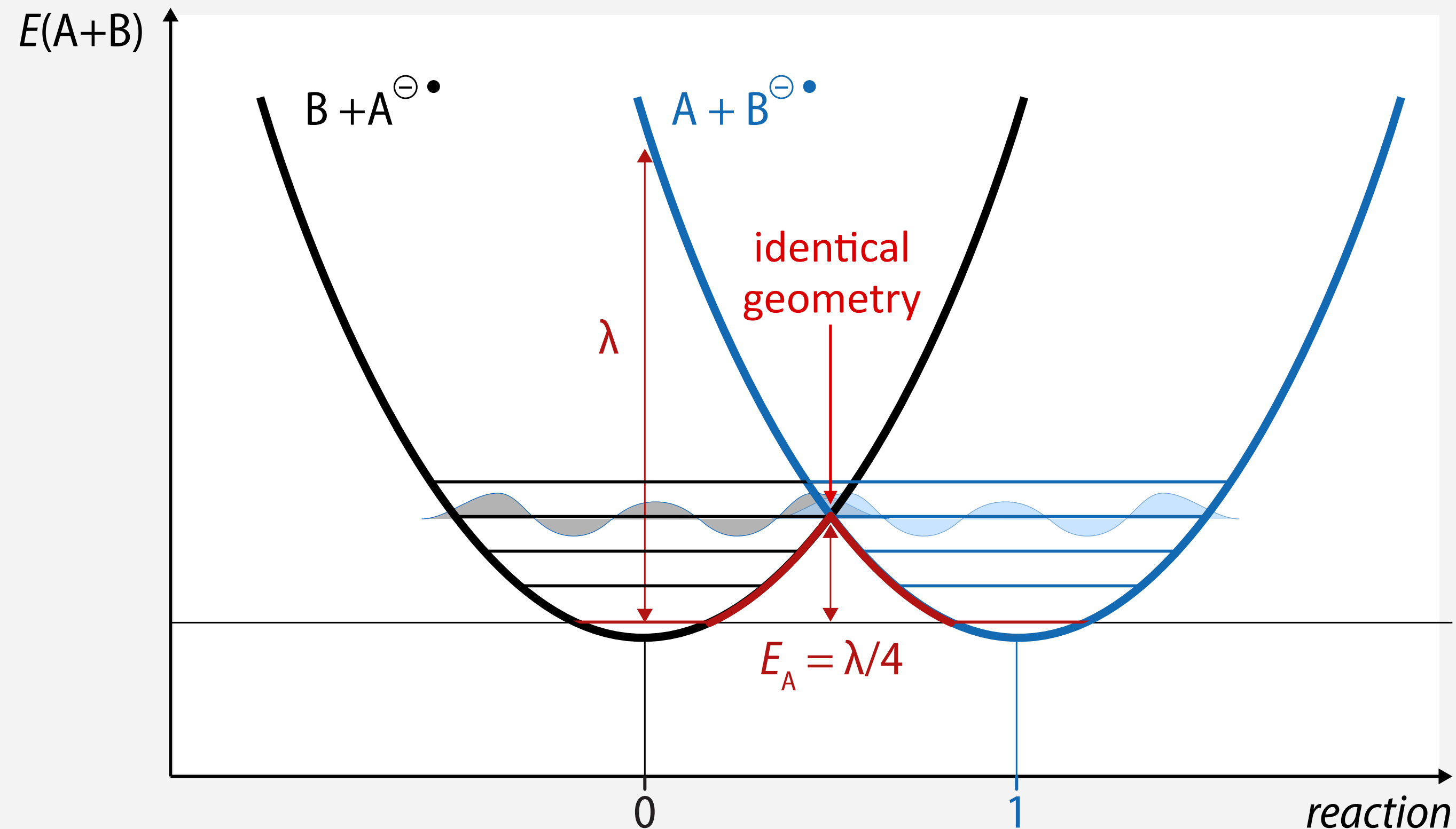
- finite potential well results in certain probability to find electron outside the well
- tunneling to nearby molecules if energy levels identical (required for “resonant exchange”)



- probability for tunneling decreases exponentially with distance
- process itself has no temperature dependence, but one observes $\mu \propto T^{-n}$ due to dynamic disorder

A Single Thermally Activated Hopping Step

- thermally activated hopping, for a given reorganization energy $\lambda = \lambda_{inner} + \lambda_{outer}$
- polaron binding energy E_{pol} : $\lambda_{inner} \approx \lambda_A + \lambda_B = 2E_{pol}$



- reorganization energy confines charge to an energy site (molecule or group of molecules)
- polaron is called “self-localized charge carrier”, trapped in its own lattice distortion

Temperature Dependence of Macroscopic Polaronic Transport

- Holstein model with transfer rate k_t for weak coupling J (in the rate law $r_T = k_T [A]$ for transfer)

$$k_T = \frac{J^2}{\hbar} \sqrt{\frac{\pi}{\lambda kT}} e^{-\frac{\lambda}{4kT}} \quad \text{or} \quad k_T = \frac{J^2}{\hbar} \sqrt{\frac{4\pi}{E_A kT}} e^{-\frac{E_A}{kT}}$$

- no transfer in case of coupling constant $J = 0$
 - for small J , model corresponds to Marcus theory for charge transfer
- charge carrier mobility μ according to Einstein diffusion law

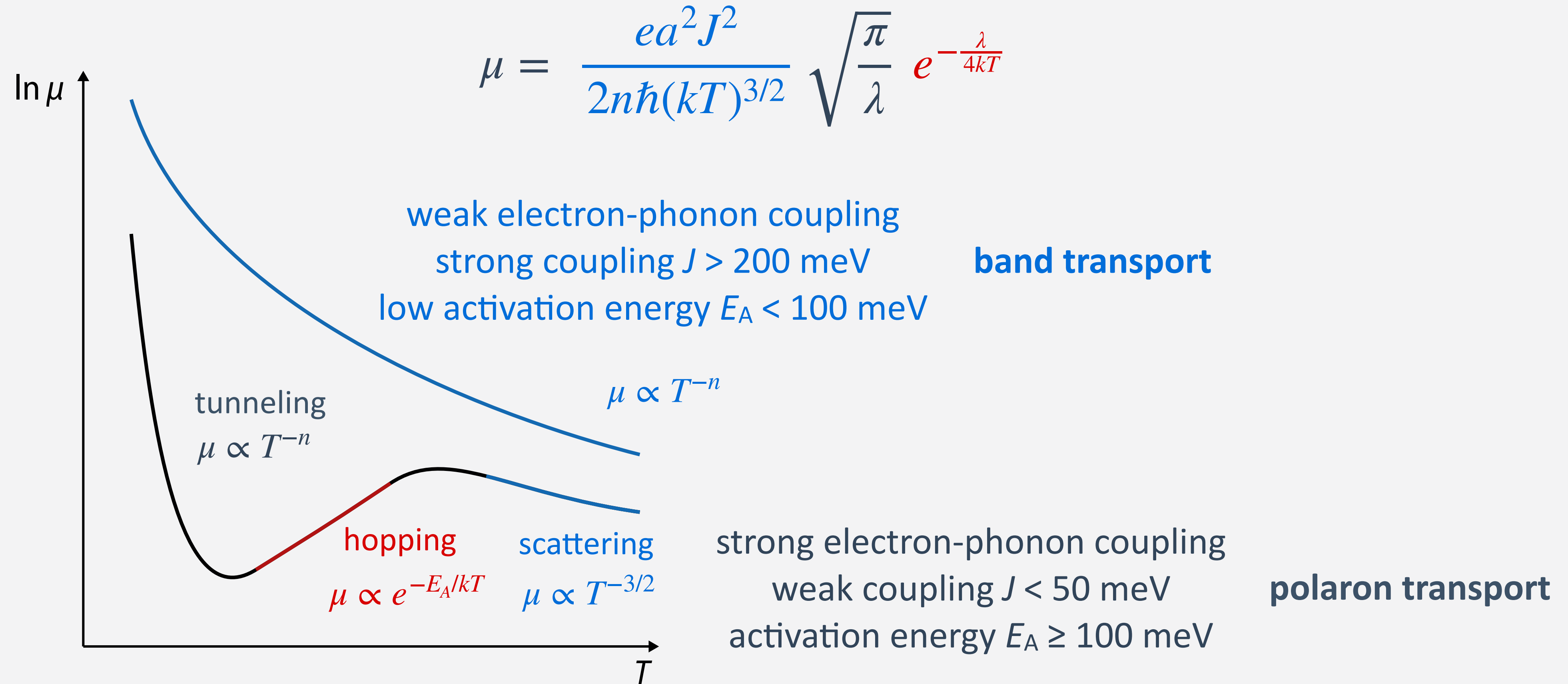
$$\mu = \frac{eD}{k_B T} \quad \text{with diffusion coefficient} \quad D = \frac{1}{2n} k_T a^2, \quad \text{dimensionality } n, \quad \text{lattice constant } a$$

$$\mu = \frac{ea^2 J^2}{2n\hbar(kT)^{3/2}} \sqrt{\frac{\pi}{\lambda}} e^{-\frac{\lambda}{4kT}}$$

- **well-defined thermally activated hopping rate determines average mobility**

Temperature Dependence of Charge Transport

- charge mobility μ can be described by different regimes:



- temperature dependence depends on reorganization energy (molecular rigidity) and coupling constant (size of the π -system, packing)